

## SPECTRA & THE ADAMS SPECTRAL SEQUENCE: A READING LIST

These are sources that are a mixture of historical, expository and technical. For spectra, [1, 17] are from the pre-1975 era; [6, 7] give more modern work.

For Adams spectral sequences, [1, 13, 17] are solid introductions from the classic era, but for a more cutting edge source see [5].

To learn about formal groups and all that, [1, 13, 19] are all good but again see [5] for more up to date ideas. I also recommend [4] as a good place to see machinery in action.

### REFERENCES

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